## First evidence of $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+*}$


(BES II collaboration)

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#### Abstract

The decay $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$is analyzed using $14 \times 10^{6} \psi(2 S)$ events recorded by the Beijing Spectrometer II (BES II) at the Beijing Electron Positron Collider (BEPC). Based upon events with no missing charged tracks and a satisfactory four-constraint kinematic fit, we determine the upper limit for the branching fraction of $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$to be $1.5 \times 10^{-4}$ at a $90 \%$ confidence level. By including events with one missing charged track, we are able to report the first evidence of an $\Omega^{-} \bar{\Omega}^{+}$signal with a statistical significance of $3.1 \sigma$. The branching fraction of $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$is determined to be $(4.80 \pm 1.56($ stat $) \pm 1.30$ (sys) $) \times 10^{-5}$.


Key words: upper limit, first evidence, significance level, branching fraction
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## 1 Introduction

The production of $\psi(2 S)$ in $\mathrm{e}^{+} \mathrm{e}^{-}$annihilation and its two-body hadronic decays can be used to test the predictive power of QCD [1]. These decays occur, mainly, via c $\bar{c}$ annihilation into either three gluons or a photon [2]. The gluons or the photon may lead to baryon antibaryon production e.g., $\Omega^{-} \bar{\Omega}^{+}$. In $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}, \Omega^{-}$and $\bar{\Omega}^{+}$are produced, predominantly through hadronization of gluons into three ss quark antiquark pairs. Earlier studies of this decay mode have provided upper limits at the $90 \%$ confidence level: $7.3 \times 10^{-5}$ [3] and $1.6 \times 10^{-4}$ [4]. In our analysis we use $14 \mathrm{M} \psi(2 S)$ data registered by the BES II detector, to search for $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$ decay events. For this purpose we reconstruct the $\Omega^{-}\left(\bar{\Omega}^{+}\right)$from $\Lambda \mathrm{K}^{-}\left(\bar{\Lambda} \mathrm{K}^{+}\right)$invariant mass spectrum, where $\Lambda(\bar{\Lambda})$ is reconstructed from $\mathrm{p} \pi^{-}\left(\overline{\mathrm{p}} \pi^{+}\right)$combination. An important aspect of this analysis is that it also includes events with one missing track, which increases the detection efficiency from $1.62 \%$ (for events with 6 charged tracks) to $10.17 \%$ (for events with 6 or 5 charged tracks). We report an upper limit for the branching fraction of $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$, using events satisfying a four-constraint kinematic fit, to
be $1.5 \times 10^{-4}$ at the $90 \%$ confidence level. For events with one missing charged track and satisfying a oneconstraint kinematic fit, we determine the branching fraction to be $(4.80 \pm 1.56$ (stat) $\pm 1.30$ (sys) $) \times 10^{-5}$ with a $3.1 \sigma$ significance.

## 2 The BES II Detector

BES II, a large solid-angle magnetic detector, was employed at the BEPC [5]. Its innermost part, the 'vertex chamber' (VC) has twelve layers surrounding the Beryllium beam pipe. It provides track and trigger information of events. Outside the VC, there is a forty-layer 'main drift chamber' (MDC) covering $85 \%$ of the total solid angle. It measures the momentum and energy loss $(\mathrm{d} E / \mathrm{d} x)$ of charged particles, with resolutions: $\sigma_{\mathrm{p}} / p=1.78 \% \sqrt{1+p^{2}}(p$ in $\mathrm{GeV} / c)$ and $\sigma_{\mathrm{d} E / \mathrm{d} x} \sim 8 \%$. A barrel-like array of forty-eight scintillation counters outside the MDC and covering $80 \%$ of the total solid-angle is employed to provide time-of-flight (TOF) information of particles with resolutions: $\sigma_{\text {TOF }}=180 \mathrm{ps}$ (for Bhabha events) and $\sigma_{\text {TOF }}=200 \mathrm{ps}$ (for hadronic events). Outside the TOF system, there is a twelve-radiation-length leadgas 'barrel shower counter' (BSC). It measures the
energy and position of electrons and photons, with resolutions: $\sigma_{E} / E=21 \% / \sqrt{E}(E$ in GeV$), \sigma_{\phi}=7.9$ mrad , and $\sigma_{z}=2.3 \mathrm{~cm}$. In the outermost part of the detector, three double layers of proportional counters are instrumented to identify muons.

The performance of the detector is checked through Monte Carlo (MC) simulations. A reasonable agreement is found between the data and MC results in high purity decay channels [6].

## 3 Event selection

The final state particles of $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$have momentum values with $p<0.8 \mathrm{GeV} / c$. Allowing for the possibility of missing low momentum particle(s) during the reconstruction of charged tracks, events with one missing charged track are also selected. Thus $\psi(2 S)$ events with six or five charged tracks (net charge: 0 or +1 or -1 ) that are well reconstructed from the MDC information are selected. All charged tracks are required to have a minimum transverse momentum of $70 \mathrm{MeV} / c$ and lie within the fiducial region of the MDC; $|\cos \theta| \leqslant 0.8$. As $\Omega^{-}\left(\bar{\Omega}^{+}\right)$and $\Lambda(\bar{\Lambda})$ have long life-times: $(0.821 \pm 0.011) \times 10^{-10} \mathrm{~s}[7]$ and $(2.631 \pm 0.020) \times 10^{-10} \mathrm{~s}[7]$, respectively, charged tracks are required to satisfy only the loose vertex constraints: $R_{x y}=\sqrt{x_{0}^{2}+y_{0}^{2}} \leqslant 0.2 \mathrm{~m}$ and $\left|R_{z 0}\right| \leqslant 0.3$ $\mathrm{m}\left(x_{0}, y_{0}\right.$ and $z_{0}$ are the coordinates of the point of closest approach to the interaction point).

Particle identification is based only upon the track's $\mathrm{d} E / \mathrm{d} x$ information (using time-of-flight information also, would result in comparatively low detection efficiency). The corrected $\mathrm{d} E / \mathrm{d} x$ information of each charged track is used to determine $\chi^{2}$ values for each of the three particle/antiparticle hypotheses:

$$
\chi_{\mathrm{d} E / \mathrm{d} x}^{2}(i)=\left[\frac{\mathrm{d} E / \mathrm{d} x_{\text {measured }}-\mathrm{d} E / \mathrm{d} x_{\text {expected }}(i)}{\sigma_{\mathrm{d} E / \mathrm{d} x}(i)}\right]^{2},
$$

where $\mathrm{d} E / \mathrm{d} x_{\text {measured }}, \mathrm{d} E / \mathrm{d} x_{\text {expected }}(i)$ and $\sigma_{\mathrm{d} E / \mathrm{d} x}(i)$ represent the measured $\mathrm{d} E / \mathrm{d} x$, the expected $\mathrm{d} E / \mathrm{d} x$ and the $\mathrm{d} E / \mathrm{d} x$ resolution for a particle/antiparticle hypothesis i, respectively. For each charged track of an event, three $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}$ values are obtained, one for each of the three particle/antiparticle hypotheses ( p , $\pi^{+}, \mathrm{K}^{+}$or $\overline{\mathrm{p}}, \pi^{-}, \mathrm{K}^{-}$). Proton ( p ), pion ( $\pi^{+}$) and kaon $\left(\mathrm{K}^{+}\right)$are identified by using, respectively, the following inequalities:
$\chi_{\mathrm{d} E / \mathrm{d} x}^{2}(\mathrm{p})<\chi_{\mathrm{d} E / \mathrm{d} x}^{2}\left(\pi^{+}\right)$and $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}(\mathrm{p})<$ $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}\left(\mathrm{~K}^{+}\right)$,
$\chi_{\mathrm{d} E / \mathrm{d} x}^{2}\left(\pi^{+}\right)<\chi_{\mathrm{d} E / \mathrm{d} x}^{2}(\mathrm{p})$ and $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}\left(\pi^{+}\right)<$ $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}\left(\mathrm{~K}^{+}\right)$,
$\chi_{\mathrm{d} E / \mathrm{d} x}^{2}\left(\mathrm{~K}^{+}\right)<\chi_{\mathrm{d} E / \mathrm{d} x}^{2}\left(\pi^{+}\right)$and $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}\left(\mathrm{~K}^{+}\right)<$ $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}(\mathrm{p})$.

Negatively charged particles ( $\overline{\mathrm{p}}, \pi^{-}$and $\mathrm{K}^{-}$) are also identified using similar criteria. The $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}$ distributions for the three particle/anti-particle hypotheses when a proton/anti-proton is identified, are shown in Fig. 1. The individual events have distinct values of $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}$ for three hypotheses but for all events an overlapping between adjacent $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}$ distributions is seen as shown in Fig. 1.


Fig. 1. The $\chi_{\mathrm{d} E / \mathrm{d} x}^{2}$ distributions of $\mathrm{p}, \pi$ and K hypotheses for the selected data events when p is identified.

Events with six identified particles are subjected to a four constraint (4C) kinematic fit imposing energy and momentum conservation, and those with five identified particles to a one constraint (1C) kinematic fit imposing energy conservation. Events passing the 4 C kinematic fit are required to have $\chi_{4 \mathrm{C}}^{2}<20$, while for those passing the 1 C fit, an optimized cut i.e., $\chi_{1 \mathrm{C}}^{2}<10$ is applied. For events passing either the 4C or 1 C kinematic fit, the $\mathrm{p} \pi^{-}\left(\overline{\mathrm{p}} \pi^{+}\right)$and $\Lambda \mathrm{K}^{-}\left(\bar{\Lambda} \mathrm{K}^{+}\right)$ invariant mass spectra are reconstructed to select $\Lambda$ $(\bar{\Lambda})$ and $\Omega^{-}\left(\bar{\Omega}^{+}\right)$signals. For events satisfying the 4 C selection, the mass resolutions of $\Lambda(\bar{\Lambda})$ and $\Omega^{-}$ $\left(\bar{\Omega}^{+}\right)$signals are determined to be $\approx 3 \mathrm{MeV} / c^{2}$ and $\approx 5 \mathrm{MeV} / c^{2}$, respectively, through single Gaussian fits to the respective MC invariant mass spectra. In this case, $\Lambda(\bar{\Lambda})$ and $\Omega^{-}\left(\bar{\Omega}^{+}\right)$mass limits are selected as $\left|M_{\mathrm{p} \pi^{-}}-M_{\Lambda}\right|<9\left(\left|M_{\overline{\mathrm{p}} \pi^{+}}-M_{\bar{\Lambda}}\right|<9\right) \mathrm{MeV} / c^{2}$ and $\left|M_{\Lambda K^{-}}-M_{\Omega^{-}}\right|<15\left(\left|M_{\bar{\Lambda} K^{+}}-M_{\bar{\Omega}^{+}}\right|<15\right) \mathrm{MeV} / c^{2}$.

For events passing the 1 C selection, the mass resolutions of $\Lambda(\bar{\Lambda})$ and $\Omega^{-}\left(\bar{\Omega}^{+}\right)$signals are determined to be $\approx 10 \mathrm{MeV} / c^{2}$ and $\approx 20 \mathrm{MeV} / c^{2}$, respectively, through double Gaussian fits to the respective MC invariant mass spectra. In this case $\Lambda(\bar{\Lambda})$ and $\Omega^{-}\left(\bar{\Omega}^{+}\right)$asymmetric mass limits are determined for $97.3 \%$ area of the invariant mass spectra to be
$1090<M_{\mathrm{p} \pi^{-}}<1150\left(1090<M_{\overline{\mathrm{p}} \pi^{+}}<1150\right) \mathrm{MeV} / c^{2}$ and $1630<M_{\Lambda \mathrm{K}^{-}}<1750\left(1630<M_{\bar{\Lambda}^{+}}<1750\right)$ $\mathrm{MeV} / c^{2}$.

## 4 The analysis results

Comparisons between $\mathrm{p} \pi^{-}\left(\Lambda \mathrm{K}^{-}\right)$and $\overline{\mathrm{p}} \pi^{+}\left(\bar{\Lambda} \mathrm{K}^{+}\right)$ invariant mass spectra of data events are shown in Figs. 2 and 3, where the histograms represent $\mathrm{p} \pi^{-}$ and $\Lambda K^{-}$invariant mass spectra and the dots with error bars represent $\overline{\mathrm{p}} \pi^{+}$and $\bar{\Lambda} \mathrm{K}^{+}$invariant mass spectra. Background is analyzed by using exclusive MC samples as well as a 14 million inclusive $\psi(2 S)$ MC. The exclusive background channels, each with 10,000 MC events, include $\psi(2 S) \rightarrow \Lambda \bar{\Lambda} \pi^{+} \pi^{-} ; \psi(2 S) \rightarrow$ $\Lambda \bar{\Lambda} \phi(1020), \phi \rightarrow \mathrm{K}^{+} \mathrm{K}^{-} ; \psi(2 S) \rightarrow \Xi^{-} \bar{\Xi}^{+}, \Xi^{-} \rightarrow$ $\Lambda \pi^{-}, \bar{\Xi}^{+} \rightarrow \bar{\Lambda} \pi^{+} ;$and $\psi(2 S) \rightarrow \Lambda \overline{\mathrm{p}} \mathrm{K}^{+} \pi^{+} \pi^{-} . \psi(2 S) \rightarrow$ $\Lambda \bar{\Lambda} \phi(1020)$, with $\phi(1020) \rightarrow \mathrm{K}^{+} \mathrm{K}^{-}$, is found to be the main background channel. The $\mathrm{K}^{+} \mathrm{K}^{-}$invariant mass spectrum for data events is shown in Fig. 4.

From a single Gaussian fit to the $\mathrm{MC} \mathrm{K}^{+} \mathrm{K}^{-}$invariant mass spectrum, the mass resolution $\left(\sigma_{\phi}\right)$ is found to be $\approx 5 \mathrm{MeV} / c^{2}$. The background contribution of $\psi(2 S) \rightarrow \Lambda \bar{\Lambda} \phi(1020)$, with $\phi(1020) \rightarrow \mathrm{K}^{+} \mathrm{K}^{-}$ in the $\Omega^{-} \bar{\Omega}^{+}$signal region for 1 C selected events is removed by requiring $\left|M\left(\mathrm{~K}^{+} \mathrm{K}^{-}\right)-M(\phi(1020))\right|>$ $3 \times \sigma_{\phi}$. This requirement is applied only for 1 C events in the signal region of the scatter plot of $M\left(\Lambda \mathrm{~K}^{-}\right)$ versus $M\left(\bar{\Lambda} \mathrm{~K}^{+}\right)$.


Fig. 2. Comparison of $\mathrm{p} \pi^{-}$and $\overline{\mathrm{p}} \pi^{+}$invariant mass distributions (from data). The histogram represents $M_{\mathrm{p} \pi^{-}}$obtained under the requirements: $\left|M_{\overline{\mathrm{p}} \pi^{+}}-M_{\bar{\Lambda}}\right|<9 \mathrm{MeV} / c^{2}$ and $\chi_{4 \mathrm{C}}^{2}<20$ or $1090<M_{\overline{\mathrm{p}} \pi^{+}}<1150 \mathrm{MeV} / c^{2}$ and $\chi_{1 \mathrm{C}}^{2}<10$ whereas the dots with error bars represent $M_{\overline{\mathrm{p}} \pi^{+}}$obtained under the requirements $\left|M_{\mathrm{p} \pi^{-}}-M_{\Lambda}\right|<9 \mathrm{MeV} / c^{2}$ and $\chi_{4 \mathrm{C}}^{2}<20$ or $1090<M_{\mathrm{p} \pi^{-}}<1150 \mathrm{MeV} / c^{2}$ and $\chi_{1 \mathrm{C}}^{2}<10$. Background seen is mainly from $\psi(2 S) \rightarrow \Lambda \bar{\Lambda} \phi(1020)$, where $\phi(1020) \rightarrow$ $\mathrm{K}^{+} \mathrm{K}^{-}$.


Fig. 3. Comparison of $\Lambda \mathrm{K}^{-}$and $\bar{\Lambda} \mathrm{K}^{+}$invariant mass distributions (from data). The histogram represents $M_{\Lambda K^{-}}$obtained under the requirements: $\left|M_{\mathrm{p} \pi^{-}}-M_{\Lambda}\right|<9 \mathrm{MeV} / c^{2}$ and $\left|M_{\overline{\mathrm{p}} \pi^{+}}-M_{\bar{\Lambda}}\right|<9 \mathrm{MeV} / c^{2}$ and $\mid M_{\bar{\Lambda} \mathrm{K}^{+}}-$ $M_{\bar{\Omega}^{+}} \mid<15 \mathrm{MeV} / c^{2}$ and $\chi_{4 \mathrm{C}}^{2}<20$ or $1090<M_{\mathrm{p} \pi^{-}}<1150 \mathrm{MeV} / c^{2}$ and $1090<$ $M_{\overline{\mathrm{P}} \pi^{+}}<1150 \mathrm{MeV} / c^{2}$ and $1630<M_{\bar{\Lambda} \mathrm{K}^{+}}<$ $1750 \mathrm{MeV} / c^{2}$ and $\chi_{1 \mathrm{C}}^{2}<10$, and the dots with error bars represent $M_{\bar{\Lambda} K^{+}}$obtained under the requirements: $\left|M_{\mathrm{p} \pi^{-}}-M_{\Lambda}\right|<$ $9 \mathrm{MeV} / c^{2}$ and $\left|M_{\overline{\mathrm{p}} \pi^{+}}-M_{\bar{\Lambda}}\right|<9 \mathrm{MeV} / c^{2}$ and $\left|M_{\Lambda K^{-}}-M_{\Omega^{-}}\right|<15 \mathrm{MeV} / c^{2}$ and $\chi_{4 \mathrm{C}}^{2}<20$ or $1090<M_{\mathrm{p} \pi^{-}}<1150 \mathrm{MeV} / c^{2}$ and $1090<$ $M_{\overline{\mathrm{P}} \pi^{+}}<1150 \mathrm{MeV} / c^{2}$ and $1630<M_{\Lambda \mathrm{K}^{-}}<$ $1750 \mathrm{MeV} / c^{2}$ and $\chi_{1 \mathrm{C}}^{2}<10$. Main background channel is $\psi(2 S) \rightarrow \Lambda \bar{\Lambda} \phi(1020)$, with $\phi(1020) \rightarrow \mathrm{K}^{+} \mathrm{K}^{-}$.


Fig. 4. $\mathrm{K}^{+} \mathrm{K}^{-}$invariant mass spectrum (for data events) under the constraints: $\chi_{1 \mathrm{C}}^{2}<10$ and $1090<M_{\mathrm{p} \pi^{-}}<1150 \mathrm{MeV} / c^{2}$ and $1090<$ $M_{\overline{\mathrm{p}} \pi^{+}}<1150 \mathrm{MeV} / c^{2}$.

The number of signal and background events are determined from the scatter plot of $M_{\Lambda K^{-}}$versus
$M_{\bar{\Lambda} \mathrm{K}^{+}}$by employing the technique used in Ref. [8]. For 4 C fit events, the scatter plot is obtained under the requirements $\left|M_{\mathrm{p} \pi^{-}}-M_{\Lambda}\right|<9 \mathrm{MeV} / c^{2}$ and $\left|M_{\overline{\mathrm{p}} \pi^{+}}-M_{\bar{\Lambda}}\right|<9 \mathrm{MeV} / c^{2}$ and $\chi_{4 \mathrm{C}}^{2}<20$ (Fig. 5). In this scatter plot, the signal region is defined by a circle with center at $\left(1672 \mathrm{MeV} / c^{2}, 1672 \mathrm{MeV} / c^{2}\right)$ and radius of $15 \mathrm{MeV} / c^{2}$. In this region, only one event is found. In this case, the detection efficiency is determined to be $1.62 \%$. Assuming that the observed events follow the Poisson probability distribution [9]:

$$
P(x, U)=\frac{\mathrm{e}^{-U} U^{x}}{x!}
$$

where $x$ is the number of observed events in an experiment (in this case $x=1$ ) and $U$ is the expected number of events, an upper limit for the expected number of events is determined to be $U=3.89$ at the $90 \%$ confidence level.


Fig. 5. Scatter plot of $\Lambda \mathrm{K}^{-}$versus $\bar{\Lambda} \mathrm{K}^{+}$for 4 C fit events under the constraints: $\mid M_{\mathrm{p} \pi^{-}}-$ $M_{\Lambda} \mid<15 \mathrm{MeV} / c^{2}$ and $\left|M_{\overline{\mathrm{p}} \pi^{+}}-M_{\bar{\Lambda}}\right|<$ $15 \mathrm{MeV} / c^{2}$ and $\chi_{4 \mathrm{C}}^{2}<20$. The circle with center: $\left(1672 \mathrm{MeV} / c^{2}, 1672 \mathrm{MeV} / c^{2}\right)$ and radius of $60 \mathrm{MeV} / c^{2}$ represents the signal region.

For 1 C fit events, the scatter plot is obtained under the requirements $1090<M_{\mathrm{p} \pi^{-}}<1150 \mathrm{MeV} / c^{2}$ and $1090<M_{\overline{\mathrm{p}} \pi^{+}}<1150 \mathrm{MeV} / c^{2}$ and $\mid M\left(\mathrm{~K}^{+} \mathrm{K}^{-}\right)-$ $M(\phi(1020)) \mid>15 \mathrm{MeV} / c^{2}$ and $\chi_{1 \mathrm{C}}^{2}<10$ (Fig. 6). In this case the signal region is defined by a circle with center at ( $1690 \mathrm{MeV} / c^{2}, 1690 \mathrm{MeV} / c^{2}$ ) and radius of $60 \mathrm{MeV} / \mathrm{c}^{2}$. Two concentric circles of $120 \mathrm{MeV} / c^{2}$ and $180 \mathrm{MeV} / c^{2}$ radii are used for background estimation in the signal region.

The center of these circles is shifted from nominal central mass value $\left(1672 \mathrm{MeV} / c^{2}\right)$ of $\Omega^{-}\left(\bar{\Omega}^{+}\right)$due to the asymmetric nature of the $\Lambda \mathrm{K}^{-}\left(\bar{\Lambda} \mathrm{K}^{+}\right)$invariant mass distribution. The numbers of events found in the signal and background regions are 12 and 6 , respectively. So the number of $\Omega^{-} \bar{\Omega}^{+}$signal events
is determined to be $12-6 / 5=10.8 \pm 3.5$, where 5 is the normalization factor (area of the background region/area of signal region), and the error is statistical. In this case, the detection efficiency is determined to be $8.55 \%$. The significance of the $\Omega^{-} \bar{\Omega}^{+}$signal is obtained to be $3.1 \sigma$ by using the method described in Ref. [9].


Fig. 6. Scatter plot of $\Lambda K^{-}$versus $\bar{\Lambda} K^{+}$for 1 C fit events under the constraints: $\mid M\left(\mathrm{~K}^{+} \mathrm{K}^{-}\right)-$ 1020) $\mid>15 \mathrm{MeV} / c^{2}$ and $1090<M_{\mathrm{p} \pi^{-}}<$ $1150 \mathrm{MeV} / c^{2}$ and $1090<M_{\overline{\mathrm{p}} \pi^{+}}<1150$ $\mathrm{MeV} / c^{2}$ and $\chi_{1 \mathrm{C}}^{2}<10$. Circles are centered at ( $1690 \mathrm{MeV} / c^{2}, 1690 \mathrm{MeV} / c^{2}$ ) due to asymmetric mass limits of $\Omega^{-}$and $\bar{\Omega}^{+}:(1630-1750)$ $\mathrm{MeV} / c^{2}$, with radii of $60 \mathrm{MeV} / c^{2}, 120 \mathrm{MeV} / c^{2}$ and $180 \mathrm{MeV} / c^{2}$. The innermost circle represents the signal region, and the region between the outer circles is used to estimate the normalized background in the signal region.

## 5 Systematic error analysis

Uncertainties in the branching fraction are studied for 4 C and 1 C kinematic fit results. The uncertainties of the hadronic interaction model are determined to be $23.3 \%$ and $13.2 \%$, respectively, by comparing the numbers of $\Omega^{-} \bar{\Omega}^{+}$MC events reconstructed using the GCALOR and FLUKA models. Particle identification uncertainties are taken as $6 \%$ and $5 \%$ [6], respectively. MDC tracking errors are taken as $12 \%$ and $10 \%$ [6], respectively. Kinematic fit uncertainties are $19.1 \%$ and $14.6 \%$, respectively, by studying $\mathrm{J} / \psi \rightarrow \Xi^{-} \bar{\Xi}^{+}\left(\Xi^{-} \rightarrow \Lambda \pi^{-}, \Lambda \rightarrow \mathrm{p} \pi^{-}\right.$and $\bar{\Xi}^{+} \rightarrow \bar{\Lambda} \pi^{-}$, $\bar{\Lambda} \rightarrow \overline{\mathrm{p}} \pi^{+}$) decays with and without the kinematic fits. Comparing MC $\Omega^{-} \bar{\Omega}^{+}$signal under different values of the angular distribution parameter: $\alpha=0.5,+1 \&-1$ with that from the nominal value $\alpha=0$, the uncertainties are $16.7 \%$ and $14.0 \%$, respectively. Monte Carlo statistical errors are evaluated to be $3.6 \%$ and $1.5 \%$. The uncertainty due to intermediate branching fractions is $2.4 \%$ (by combining the errors in the
branching fractions of intermediate resonances [7]) for both the 4 C and 1 C events. The uncertainty in the number of $\psi(2 S)$ data events is $4.3 \%$ [10]. Combining all uncertainties in quadrature, the uncertainties for 4 C and 1 C fit results, are $37.4 \%$ and $27.1 \%$, respectively. These results are also listed in Table 1.

Table 1. Systematic uncertainties (\%) in the Branching Fraction.

| source of uncertainty | 4 C fit <br> uncertainty | 1 C fit <br> uncertainty |
| :---: | :---: | :---: |
| models of Hadron Interaction | 23.3 | 13.2 |
| particle identification | 6 | 5 |
| MDC tracking | 12 | 10 |
| kinematic fit | 19.1 | 14.6 |
| angular distribution | 16.7 | 14 |
| MC statistics | 3.6 | 1.5 |
| intermediate branching fractions | 2.4 | 2.4 |
| total number of $\psi(2 S)$ events | 4.3 | 4.3 |
|  | total $=37.4$ | total $=27.1$ |

## 6 Determination of branching fraction

Using the following formula:

$$
\frac{N^{\text {upper }} /\left(1-\sigma_{\mathrm{sys}}\right)}{\epsilon \cdot\left[B\left(\Omega^{-} \rightarrow \Lambda \mathrm{K}^{-}\right)\right]^{2} \cdot\left[B\left(\Lambda \rightarrow \mathrm{p} \pi^{-}\right)\right]^{2} \cdot N_{\psi(2 S)}}
$$

where $N^{\text {upper }}=3.89, B\left(\Omega^{-} \rightarrow \Lambda \mathrm{K}^{-}\right)=(67.8 \pm 0.7) \%$ $[7], B\left(\Lambda \rightarrow \mathrm{p} \pi^{-}\right)=(63.9 \pm 0.5) \%[7], N_{\psi(2 S)}=$ $(14 \pm 0.6) \times 10^{6}$ (number of $\psi(2 S)$ data events) [10], $\epsilon=0.0162$ and $\sigma_{\text {sys }}=0.374$, an upper limit for the branching fraction of $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$is determined to be $1.5 \times 10^{-4}$ at the $90 \%$ confidence level, for 4 C fit events. Using the formula:

$$
\frac{N^{\mathrm{obs}}}{\epsilon \cdot\left[B\left(\Omega^{-} \rightarrow \Lambda \mathrm{K}^{-}\right)\right]^{2} \cdot\left[B\left(\Lambda \rightarrow \mathrm{p} \pi^{-}\right)\right]^{2} \cdot N_{\psi(2 S)}}
$$

where $N^{\mathrm{obs}}=10.8 \pm 3.5$ and $\epsilon=0.0855$, the branching ratio is determined to be $(4.80 \pm 1.56$ (stat) $\pm$ 1.30 (sys) $) \times 10^{-5}$ for 1 C fit events. In the limit of $S U(3)$ flavor symmetry, the phase-space-corrected reduced branching fraction $\left(|M|^{2}\right)$ for $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$ is calculated by using the following formula [3]:

$$
|M|^{2}=\frac{B\left(\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}\right)}{\pi p^{*} / \sqrt{s}}
$$

## References

1 Farrar G R, Jackson R D. Phys. Rev. Lett., 1975,35: 1416; Ioffe B L. Phys. Lett. B, 1976, 63: 425; Vainshtein A I, Zakharov V I. Phys. Lett. B, 1978, 72: 368; Brodsky S J, Lepage G P. Phys. Rev. D, 1981, 24: 2848
2 Bolz J. Kroll P. Eur. Phys. J. C, 1998, 2: 545-556
3 BAI J Z et al. (BES collaboration). Phys. Rev. D, 2001, 63: 032002
4 Pedlar T K et al. (CLEO collaboration). Phys. Rev. D, 2005, 72: 051108
5 BAI J Z et al. (BES collaboration). Nucl. Instrum. Methods
where $p^{*}$ is the momentum of $\Omega^{-}$or $\bar{\Omega}^{+}$in $\psi(2 S)$ rest frame. In Fig. 7, the reduced branching fraction for $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$is plotted along with other octet baryon-antibaryon pairs computed by using the branching fractions from Particle Data Group 2012 [7]. The plot shows a trend towards smaller values of reduced branching fractions for baryon-antibaryon pairs of higher masses.


Fig. 7. The reduced branching fractions: $\left|M_{\mathrm{i}}\right|^{2}=B\left(\psi(2 S) \rightarrow \mathrm{B}_{\mathrm{i}} \overline{\mathrm{B}}_{\mathrm{i}}\right) /\left(\pi p^{*} / \sqrt{s}\right)$, where $p^{*}$ is momentum of baryon (antibaryon) in rest frame of $\psi(2 S)$.

## 7 Conclusion

Using 14 million $\psi(2 S)$ decay events recorded by the BES II detector at BEPC, we report an upper limit for the branching fraction of $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$ to be $1.5 \times 10^{-4}$ at $90 \%$ confidence level based upon the 4 C fit result. We report the first evidence of an $\Omega^{-} \bar{\Omega}^{+}$signal, with a statistical significance of about $3.1 \sigma$ using 1 C events. The branching fraction of $\psi(2 S) \rightarrow \Omega^{-} \bar{\Omega}^{+}$is determined to be $(4.80 \pm 1.56$ (stat) $\pm 1.30($ sys $)) \times 10^{-5}$ and is consistent with the upper limit.

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## A, 2001, 458: 627

6 Ablikim M et al. (BES collaboration). Nucl. Instrum. Methods A, 2005, 552: 344
7 Beringer J et al. (Particle Data Group). Phys. Rev. D, 2012, 86: 010001 (web edition: accessed on July 09, 2012)
8 Ablikim M et al. (BES collaboration). Phys. Rev. D, 2004, 70: 092002
9 Bityukov S I, Krasnikov N V. Nucl. Instrum. Methods A, 2003, 502: 795-798
10 Ablikim M et al. (BES collaboration). Phys. Lett. B, 2007, 648: 149-155


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